

A 3D Hybrid Model of a Helicon Source⁺

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Agenda

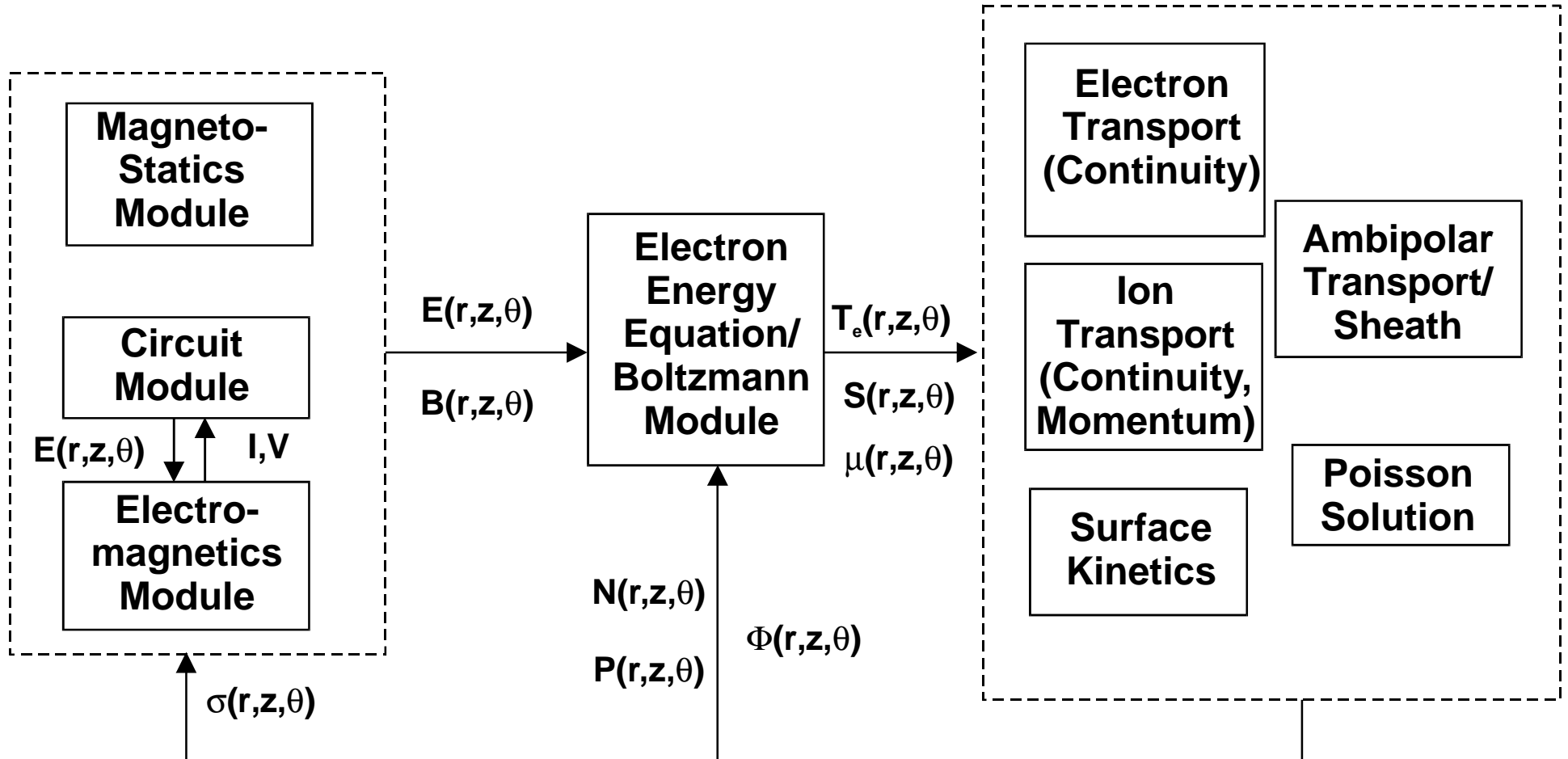
- Abstract
- Model Description
 - wave equation
 - tensor conductivity
- Results, Nagoya Type III coil
- Results, M=0 Coil
- Conclusions

Abstract

As the semiconductor industry moves to larger wafer sizes ($>300\text{mm}$) efficient new plasma sources which are capable of maintaining process uniformity at large scale will be needed. Helicon sources have been proposed as a possible alternative to inductively coupled plasma sources, due to high efficiency, and the power deposition not being limited to a skin depth. Additionally, helicon plasmas operate at very low pressure, so particulate contamination is minimal. In this paper, we present results from a numerical study of a helicon source. The three dimensional hybrid plasma equipment model (HPEM3D) has been extended to include a cold plasma tensor conductivity in the electromagnetics (EM) module. A static magnetic field is generated by a solenoid which surrounds the cylindrical reactor geometry and is simulated by solving for the vector potential. Transport of charged and neutral species is handled with a fluid simulation. By varying parameters such as the static magnetic field magnitude, reactor geometry, and coil configuration, we are able to modify the power deposition profile. This in turn determines the downstream ion and neutral flux uniformity. We find that for larger magnetic fields, the power deposition penetrates more deeply into the bulk plasma.

Schematic of 3D Hybrid Plasma Equipment Model (HPEM-3D)

- HPEM-3D combines modules which address different physics or different timescales.



Electric Field Module: Wave Equation

- The electric field module of the HPEM-3D is responsible for solving the 3D frequency domain wave equation:

$$\nabla \times \nabla \times \mathbf{E} = \mu_0 \epsilon_0 \omega^2 \mathbf{E} - i\mu_0 \omega \mathbf{J}_{ant} - i\omega \mu_0 \sigma \mathbf{E}$$

- The left hand side is replaced by: $\nabla \times \nabla \times \mathbf{E} = \nabla(\nabla \cdot \mathbf{E}) - \nabla^2 \mathbf{E}$ where the first term is neglected.
- The conductivity, σ , is the cold plasma tensor conductivity (see next slide)
- The finite difference form of the wave equation results in a large matrix equation, which is solved using a generalized minimum residual method.
- The Helicon wavelength can be estimated by $\lambda_{||} = 1.0 \times 10^{20} \frac{B}{\omega r n}$
- If λ is small compared to reactor size, the numerical solution of the wave equation is difficult, as the problem is less well conditioned.
- The matrix problem is solved using the generalized minimum residual method.

Conductivity Tensor

- The plasma current in the wave equation is handled by a cold plasma tensor conductivity:

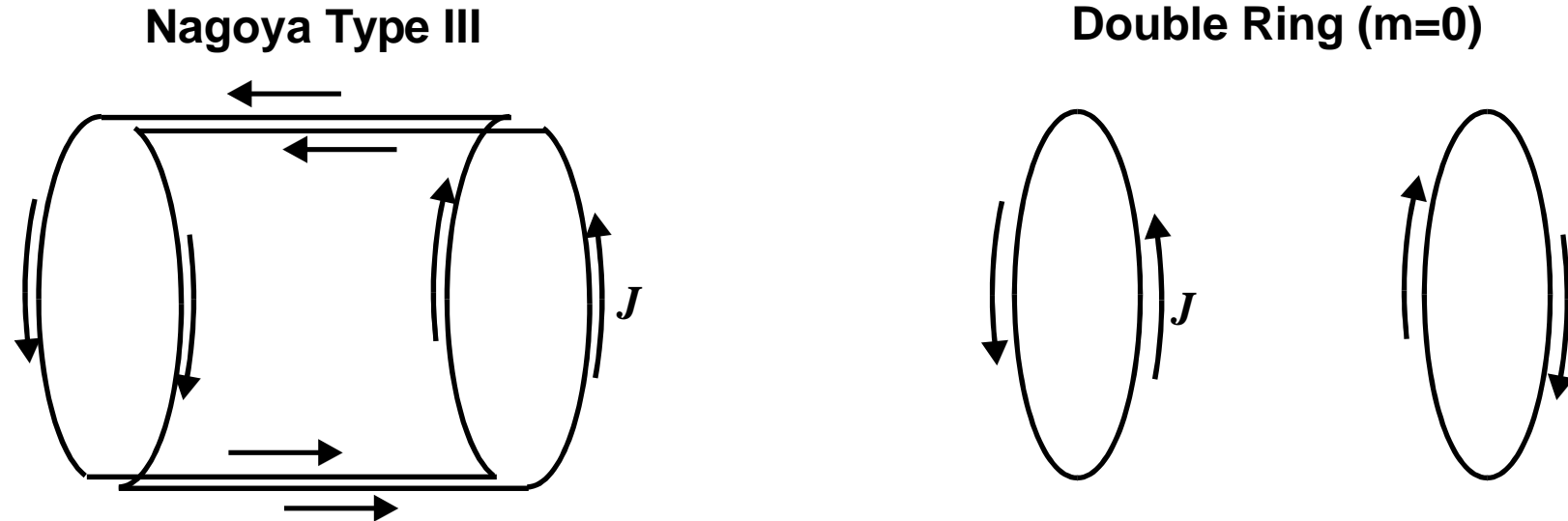
$$\sigma = \sigma_0 \frac{mv_m}{qa} \frac{1}{(\alpha^2 + |\mathbf{B}|^2)} \begin{pmatrix} \alpha^2 + B_r^2 & \alpha B_z + B_r B_\theta & -\alpha B_\theta + B_r B_z \\ -\alpha B_z + B_r B_\theta & \alpha^2 + B_\theta^2 & \alpha B_r + B_\theta B_z \\ -\alpha B_\theta + B_r B_z & -\alpha B_r + B_\theta B_z & \alpha^2 + B_z^2 \end{pmatrix}$$

$$\alpha = \frac{i\omega + \nu_m}{q/m} \quad \sigma_0 = \frac{q^2 m}{mv_m}$$

- The addition of the static magnetic field results in a larger, less well conditioned matrix problem.
- If the static magnetic field is predominantly in the z-direction, the (3,3) term of the tensor dominates

Antenna Configuration

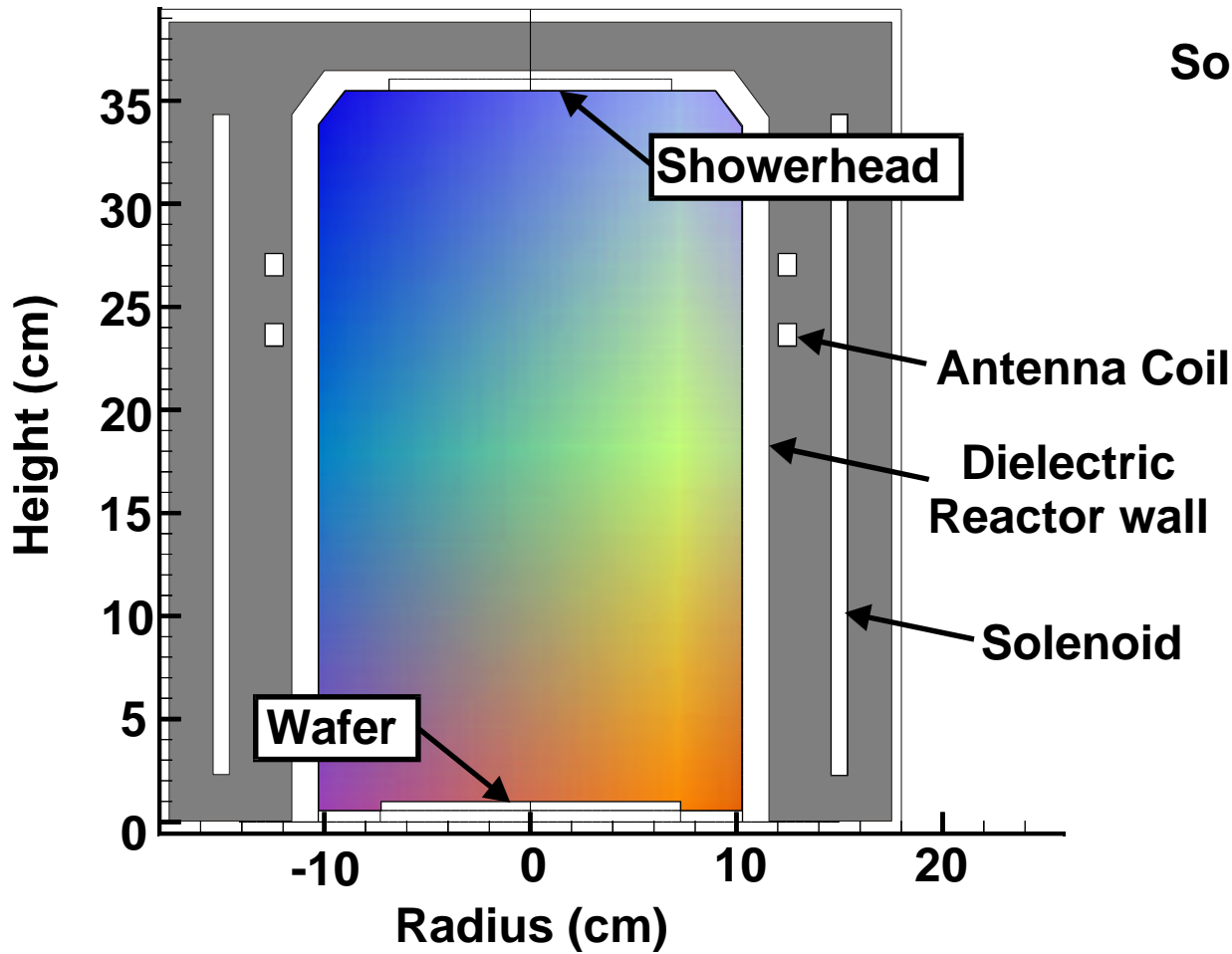
- Two different antenna configurations were used:



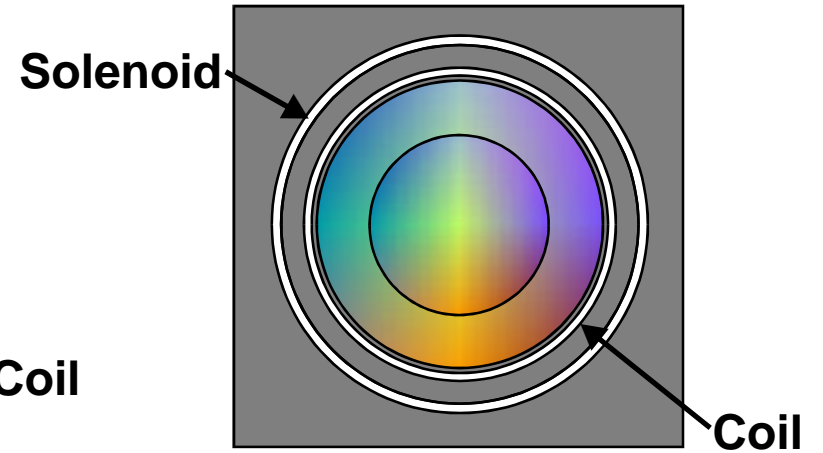
- The Nagoya Type III is commonly used in laboratory Helicon plasmas, where it has been shown to produce an $m=1$ mode under the right conditions.
- The Double Ring configuration was tested here to see if using it would result in an $m=0$ Helicon mode.

Reactor Geometry

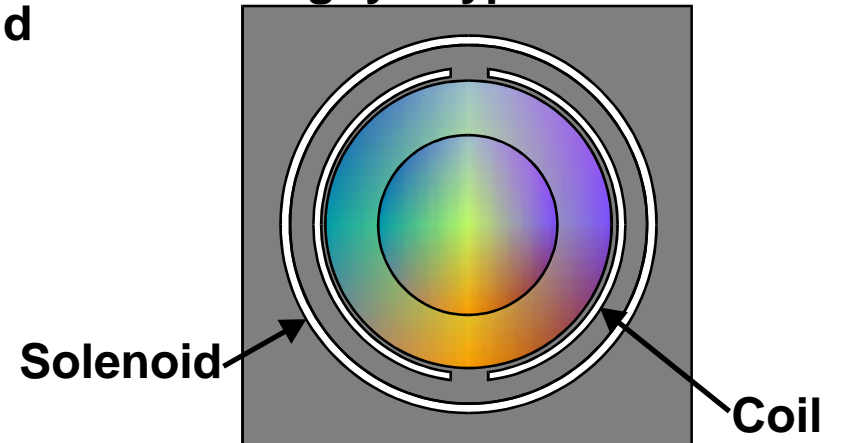
Side (r,z) view



Top (r,θ) view, m=0 coil



Top (r,θ) view, Nagoya Type III coil



- Antenna coil can either be the m=0 or Nagoya Type III configuration

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Plasma Parameters

- **M=0 cases:**

Pressure: 0.5mTorr

Total Power Deposition: 1200 Watts

StaticMagnetic Field: 0,600,900 Gauss

Gas: Argon

Reactor Height: 35 cm

Reactor Radius: 10 cm

- **Nagoya Type III cases:**

Pressure: 0.5mTorr

Total Power Deposition: 600 Watts

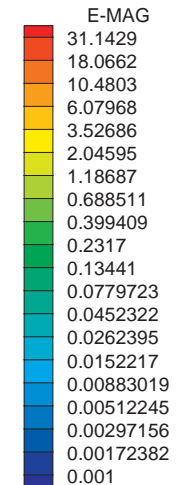
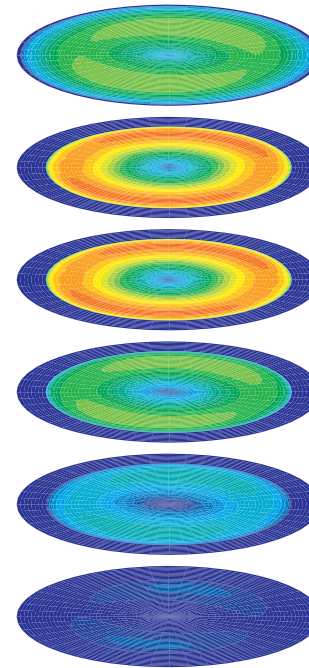
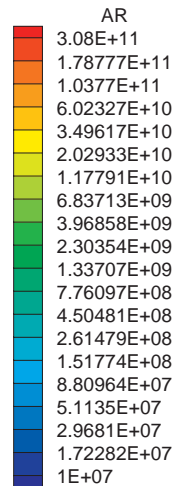
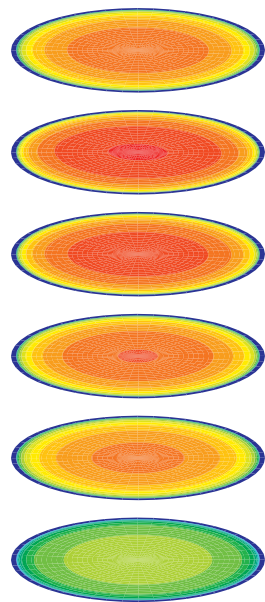
StaticMagnetic Field: 0,300,600 Gauss

Gas: Argon

Reactor Height: 35 cm

Reactor Radius: 10 cm

No Static Magnetic Field ($B=0$), Nagoya Type III Coil

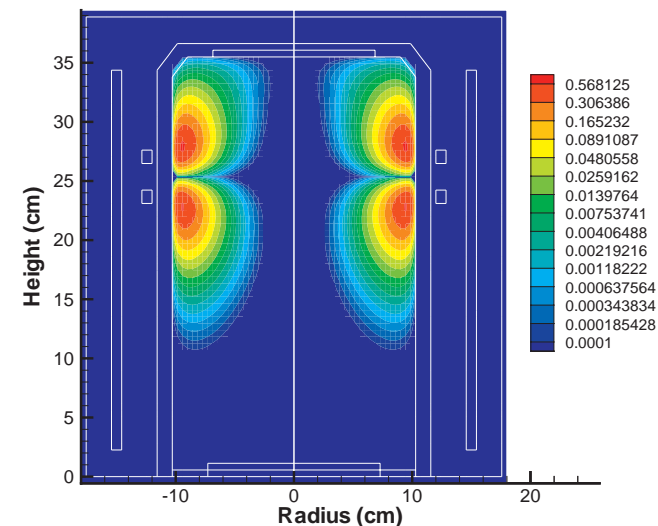
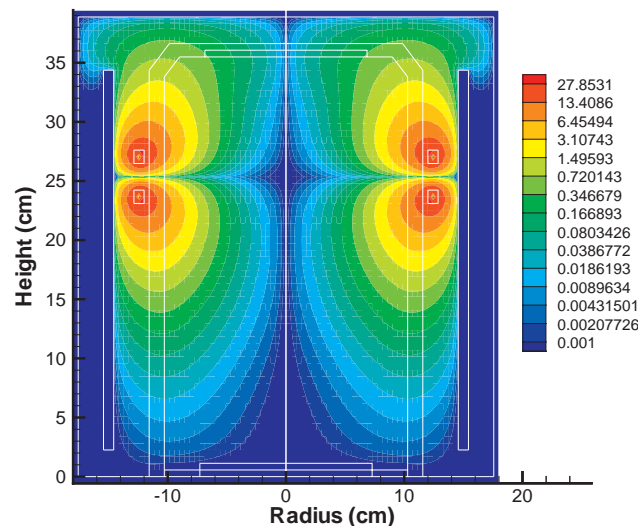
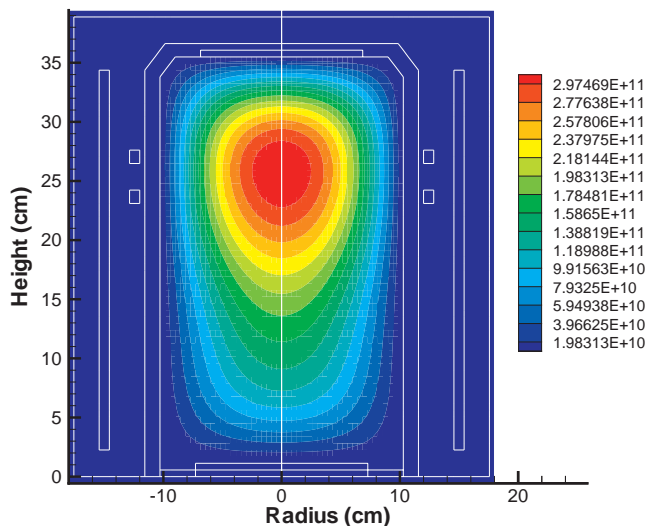


Argon Ion Density (cm⁻³)

**Electric Field Total Magnitude
(Log V/cm)**

- With no magnetostatic field, the plasma is in purely inductive mode.
- The power deposition is confined near the coil.

No Static Magnetic Field (B=0), Nagoya Type III Coil

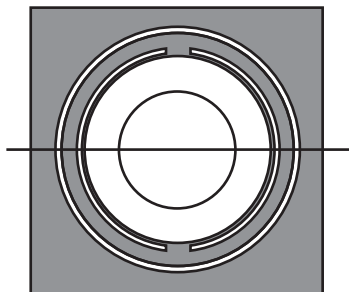


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude (Log V/cm)

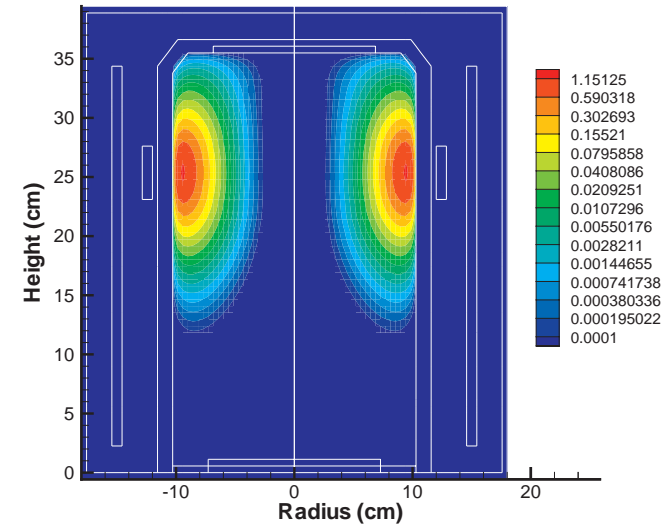
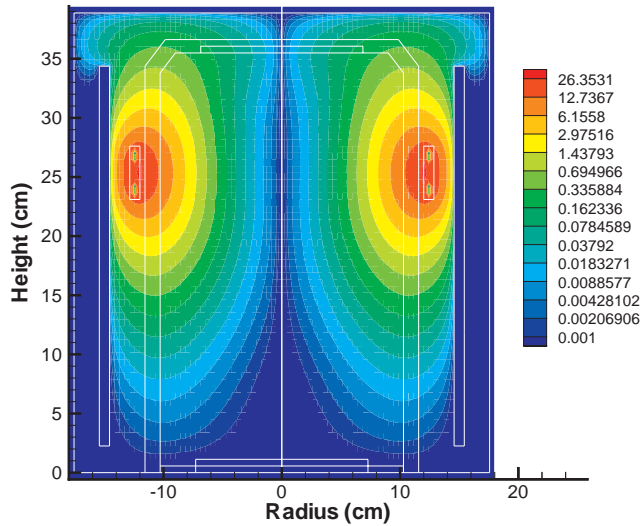
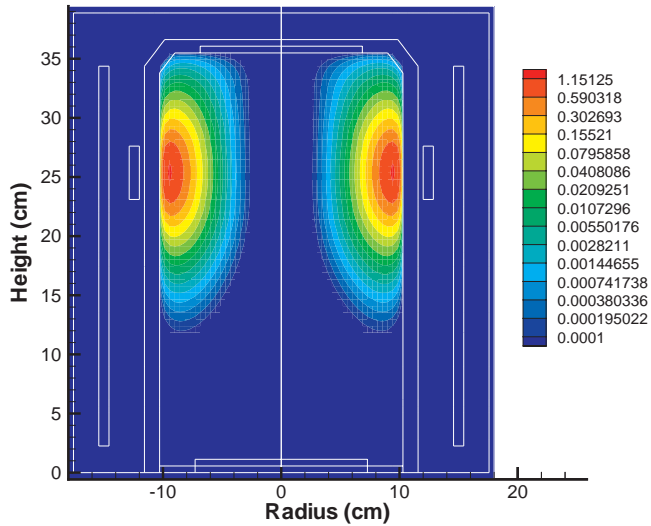
Total Power Deposition (Log Watt/ cm^{-3})

Top view:



- With no magnetostatic field, the plasma is in purely inductive mode.

No Static Magnetic Field (B=0), Nagoya Type III Coil

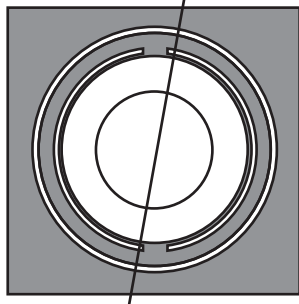


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude (Log V/cm)

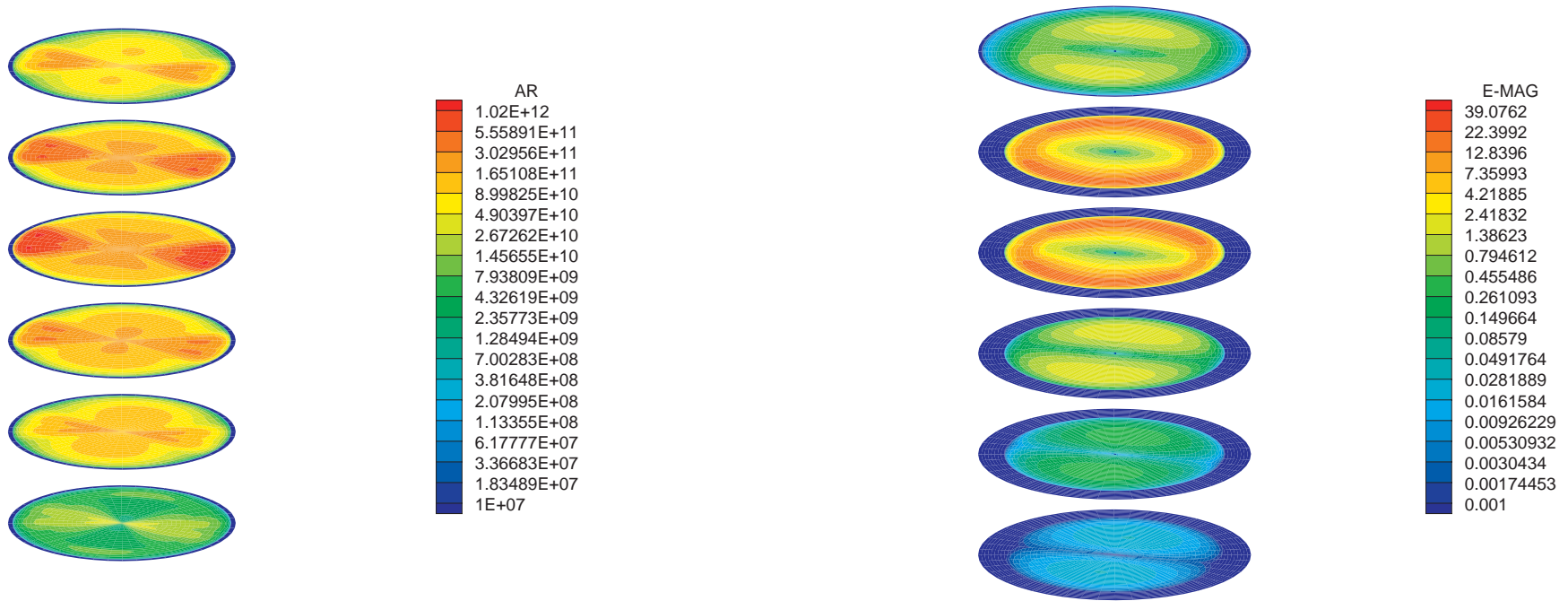
Total Power Deposition (Log Watt/ cm^{-3})

Top view:



- With no magnetostatic field, the plasma is in purely inductive mode.

Static Magnetic Field (B=300 G), Nagoya Type III Coil

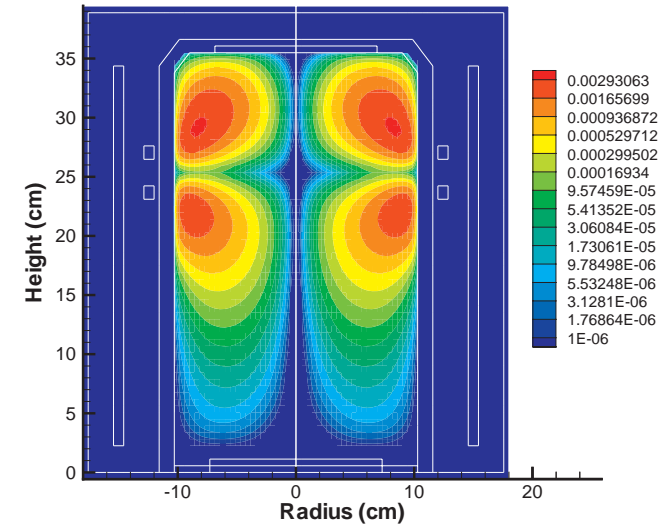
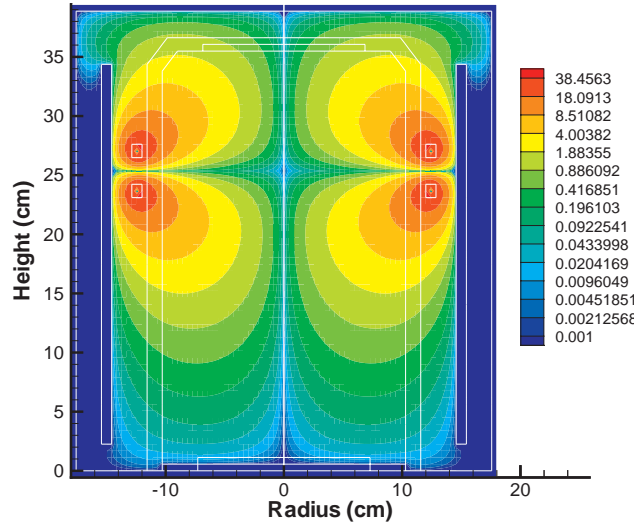
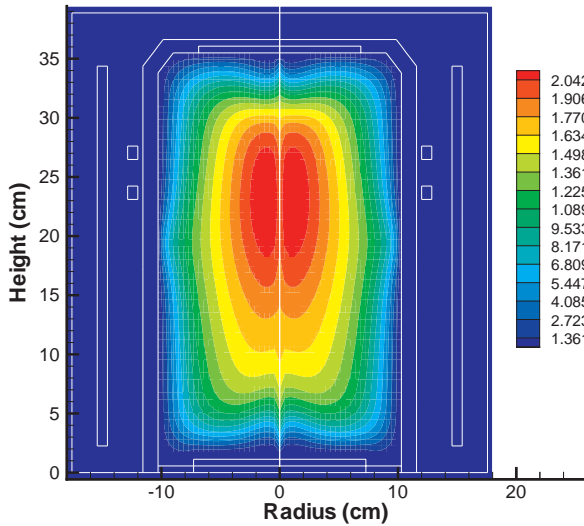


Argon Ion Density (cm⁻³)

Electric Field Total Magnitude (Log V/cm)

- With the addition of a magnetostatic field, power deposition extends downstream away from the coils.

Static Magnetic Field (B=300 G), Nagoya Type III Coil

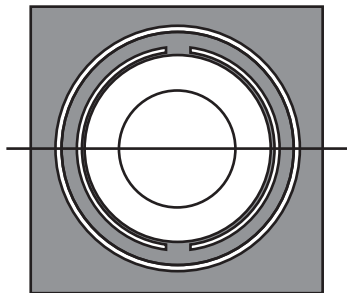


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude (Log V/cm)

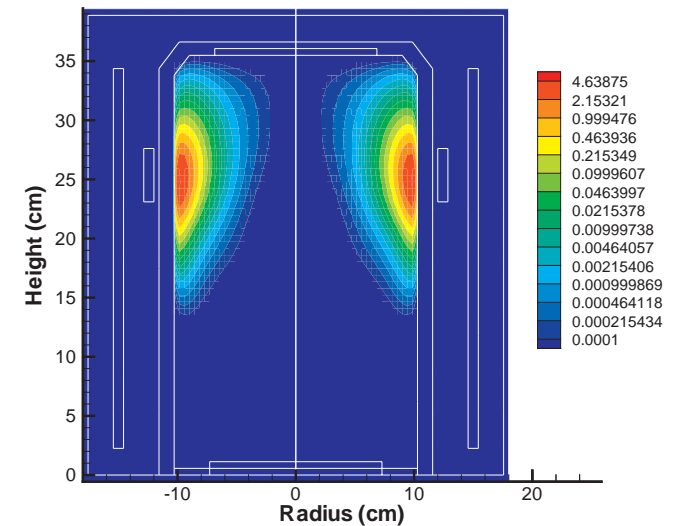
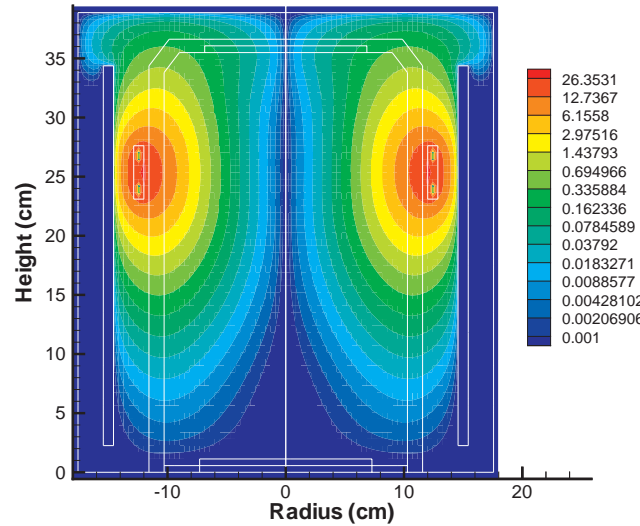
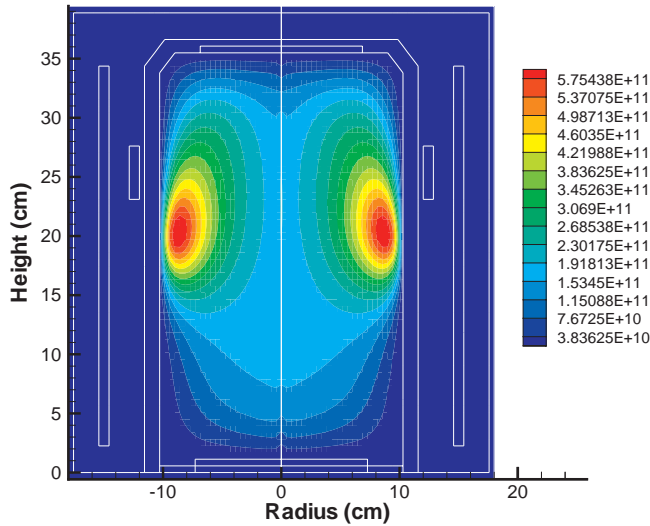
Total Power Deposition (Log Watt/ cm^{-3})

Top view:



- With the addition of a magnetostatic field, power deposition extends downstream from the coils.
- Power deposition near the theta component of the coils is reduced.

Static Magnetic Field (B=300 G), Nagoya Type III Coil

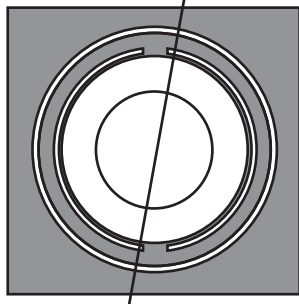


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude (Log V/cm)

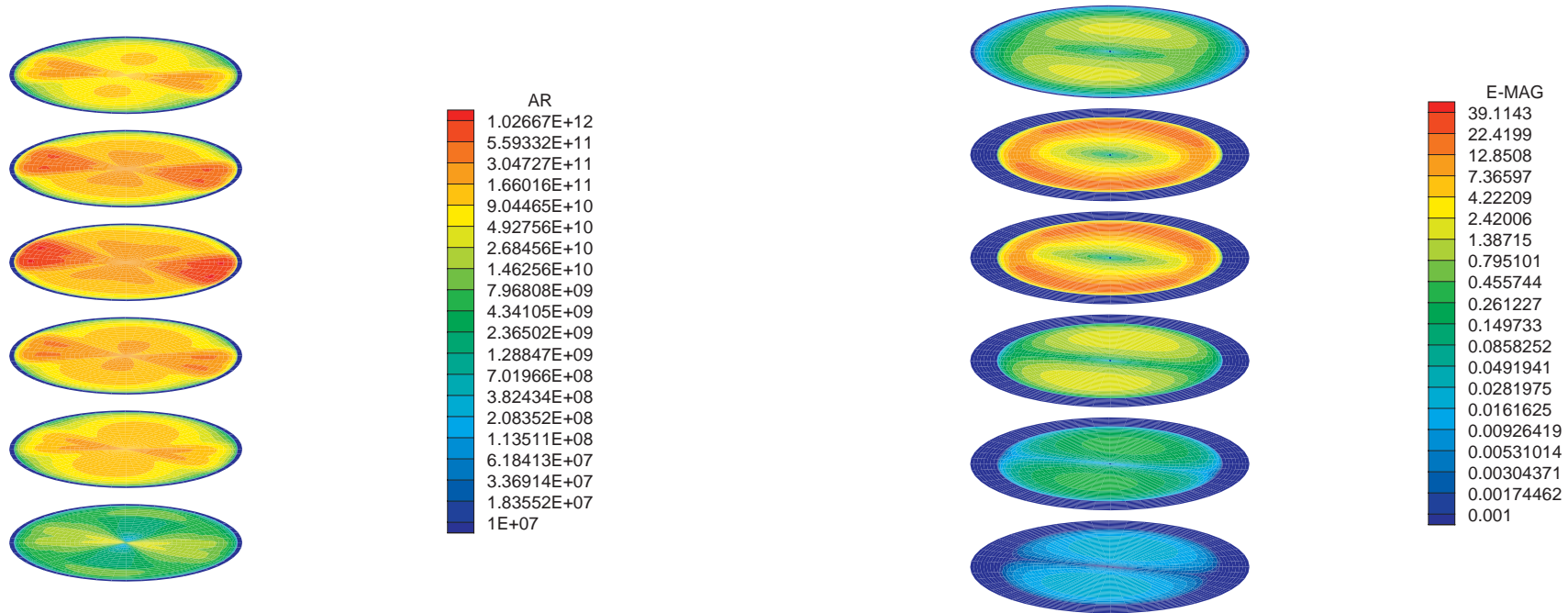
Total Power Deposition (Log Watt/ cm^{-3})

Top view:



- With the addition of a magnetostatic field, power deposition extends downstream from the coils.
- The addition of a Bz magnetic field results in the power deposition mostly being near the z component of the coil.

Static Magnetic Field (B=600 G), Nagoya Type III Coil

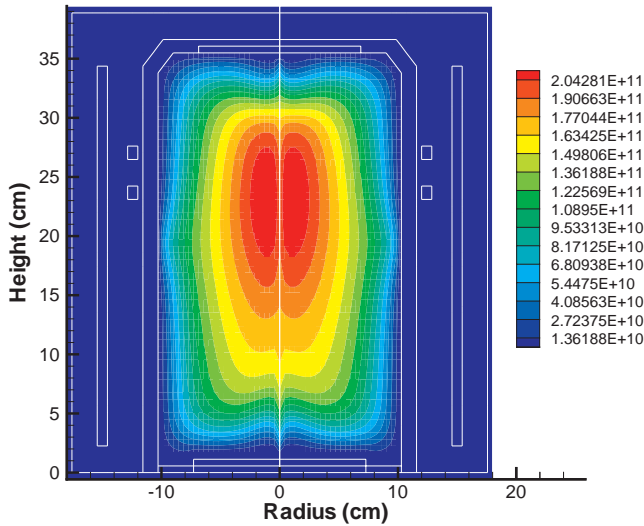


Argon Ion Density (cm^{-3})

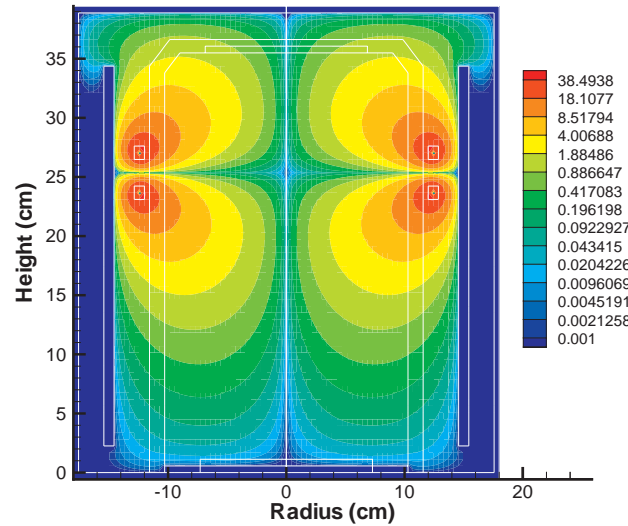
**Electric Field Total Magnitude
(Log V/cm)**

- With the addition of a magnetostatic field, power deposition extends downstream away from the coils.

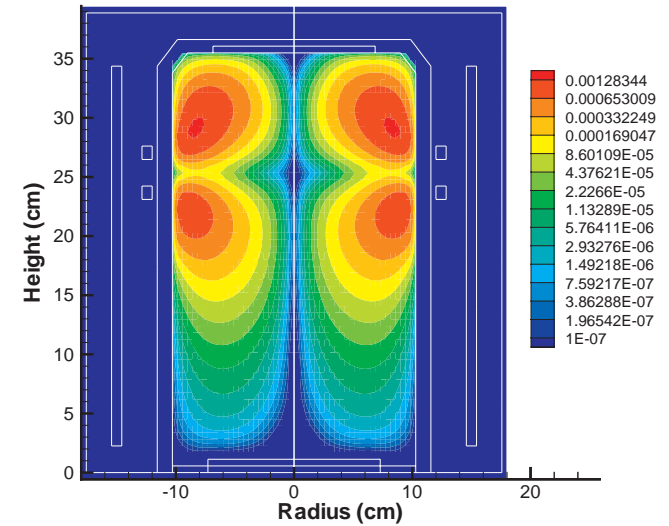
Static Magnetic Field (B=600 G), Nagoya Type III Coil



Argon Ion Density (cm^{-3})

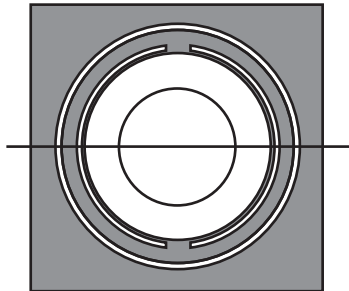


Electric Field Total Magnitude
(Log V/cm)



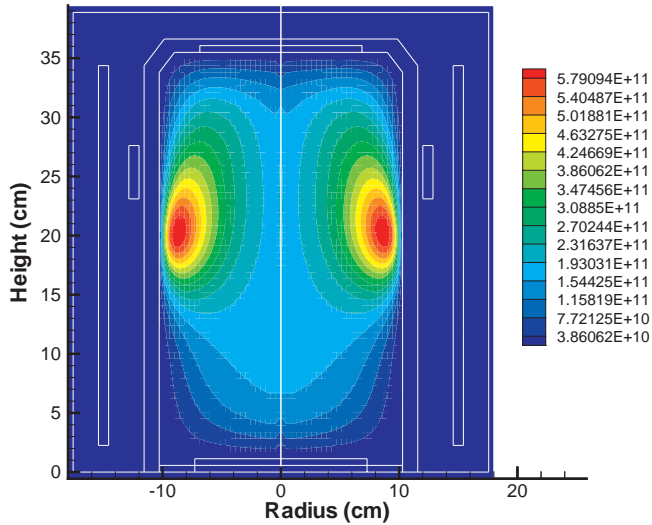
Total Power Deposition
(Log Watt/ cm^{-3})

Top view:

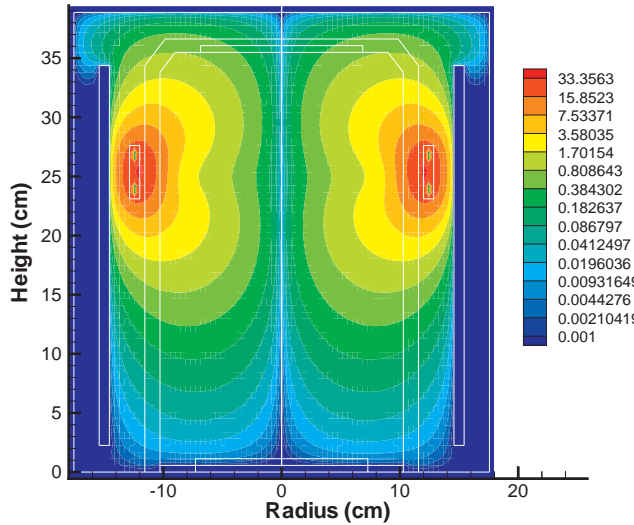


- With the addition of a magnetostatic field, power deposition extends downstream away from the coils.
- Enhanced power deposition near z-component of the coils.

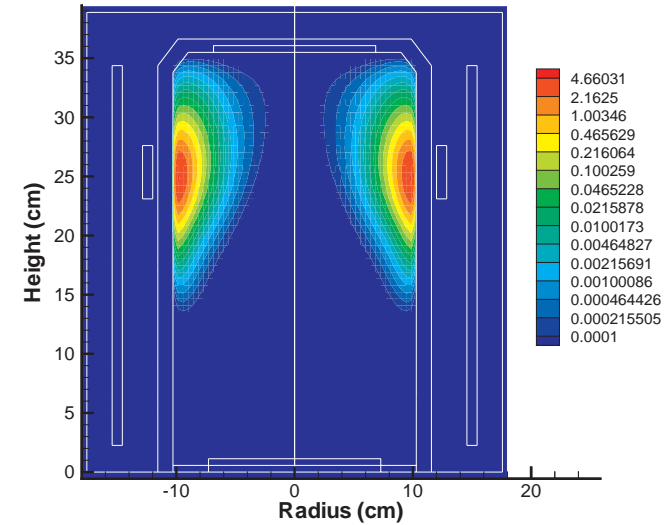
Static Magnetic Field (B=600 G), Nagoya Type III Coil



Argon Ion Density (cm^{-3})

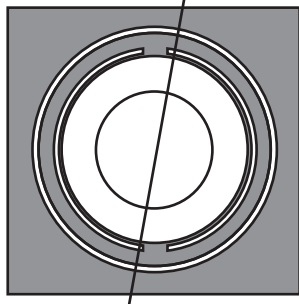


Electric Field Total Magnitude (Log V/cm)



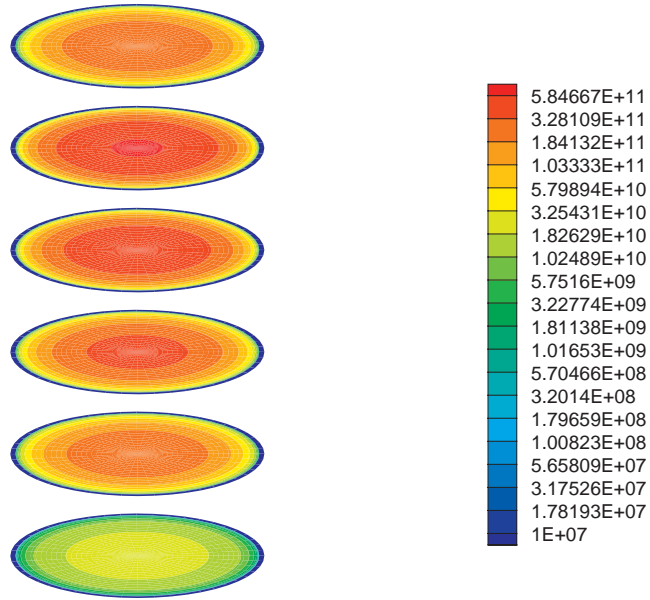
Total Power Deposition (Log Watt/ cm^{-3})

Top view:

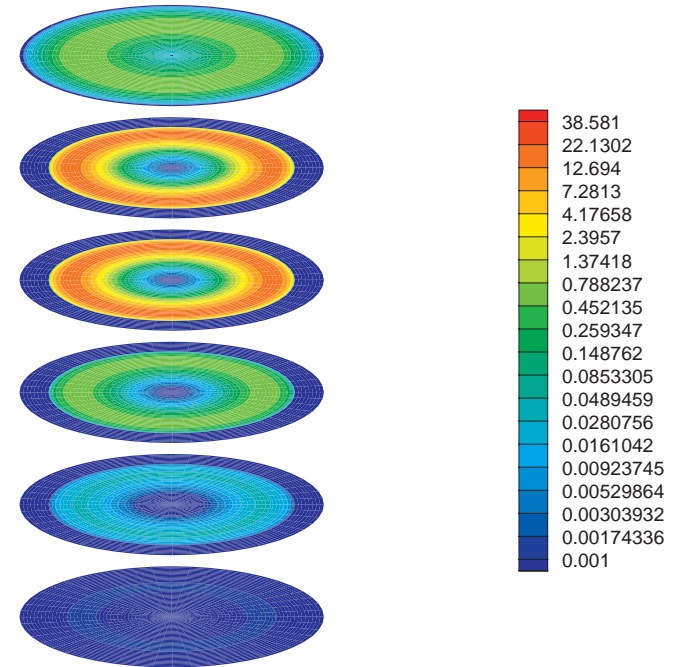


- With the addition of a magnetostatic field, power deposition extends downstream from the coils.
- The addition of a B_z magnetic field results in the power deposition mostly being near the z component of the coil.

No Static Magnetic Field ($B=0$), $M=0$ Coil



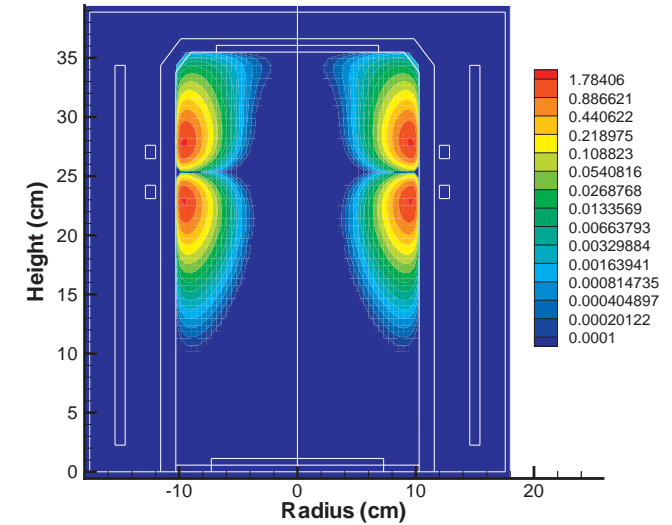
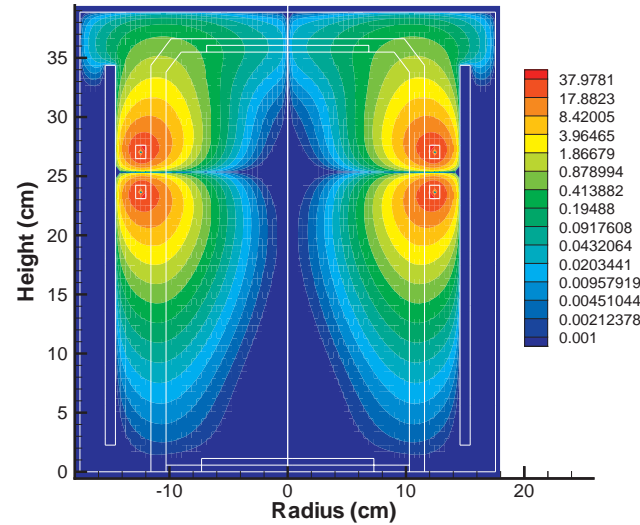
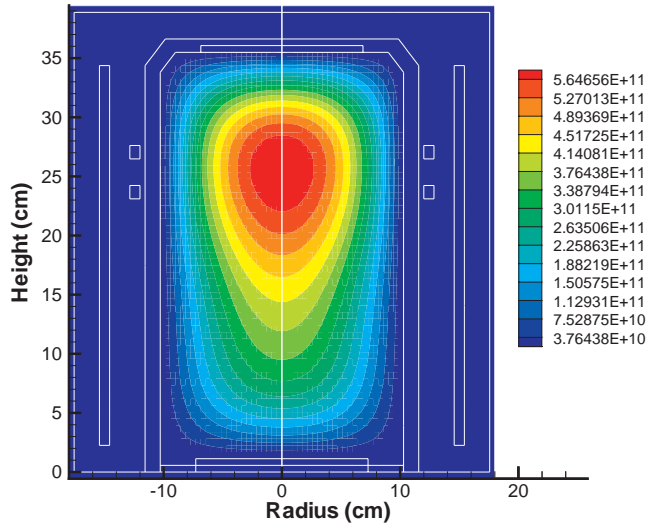
Argon Ion Density (cm⁻³)



Electric Field Total Magnitude (Log V/cm)

- With no magnetostatic field, the plasma is in purely inductive mode.

No Static Magnetic Field ($B=0$), $M=0$ Coil

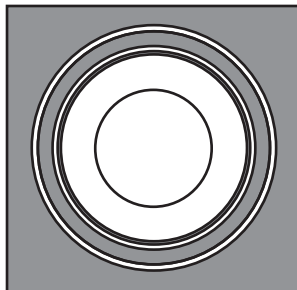


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude (Log V/cm)

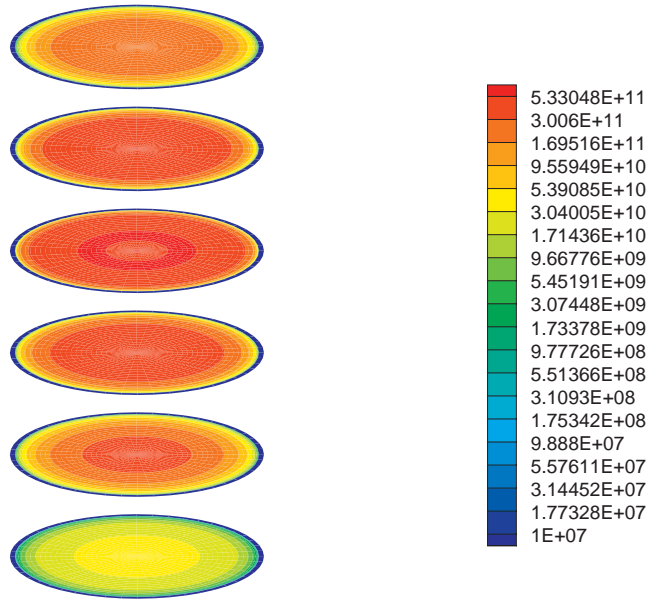
Total Power Deposition (Log Watt/ cm^{-3})

Top view:

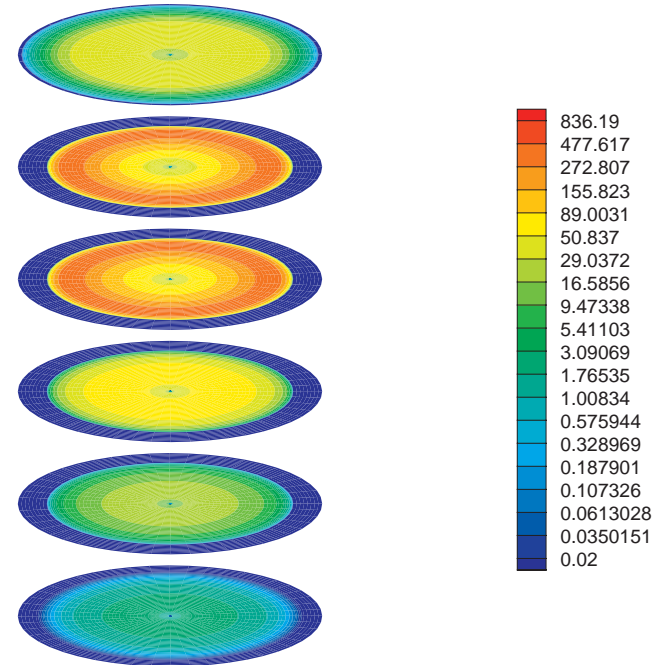


- With no magnetostatic field, the plasma is in purely inductive mode.

Static Magnetic Field: B=600 G, M=0 Coil



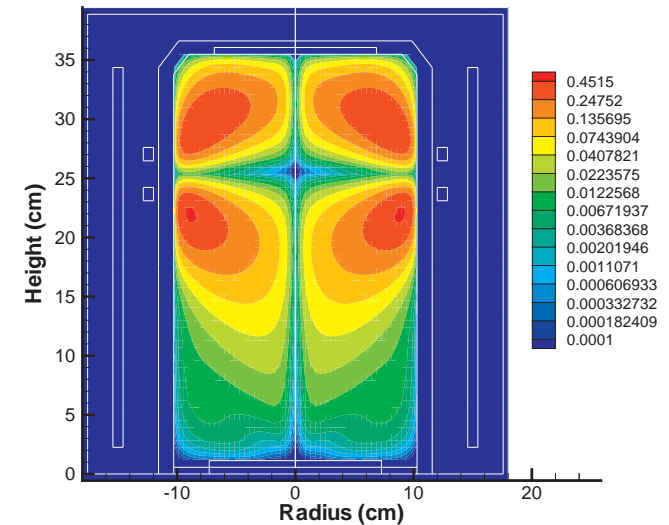
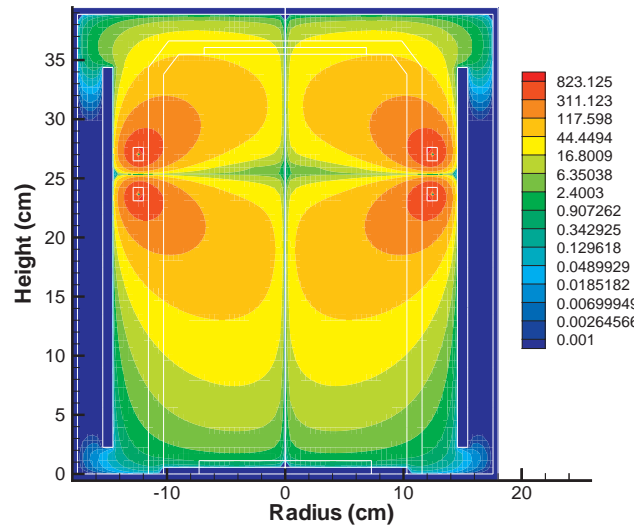
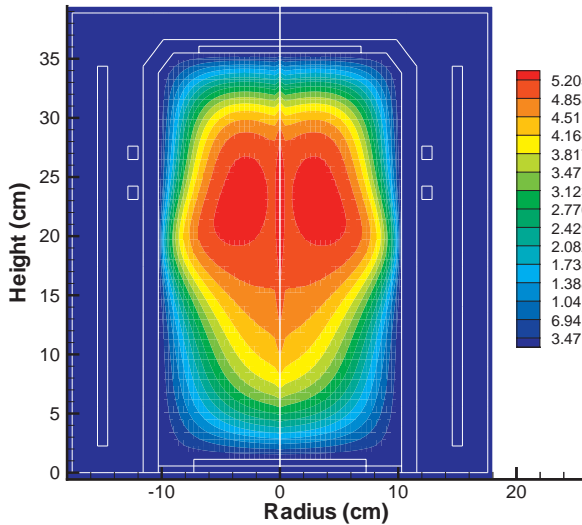
Argon Ion Density (cm⁻³)



Electric Field Total Magnitude (Log V/cm)

- The addition of the magnetic field ($B_z=600\text{G}$), the electrons tend to follow the magnetic field lines, and the heating region becomes elongated down the z-axis.

Static Magnetic Field: B=600 G, M=0 Coil

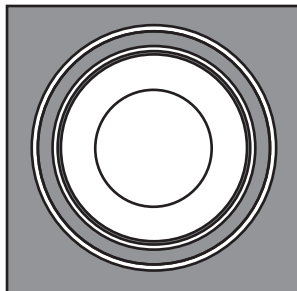


Argon Ion Density (cm⁻³)

Electric Field Total Magnitude (Log V/cm)

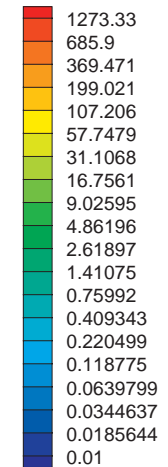
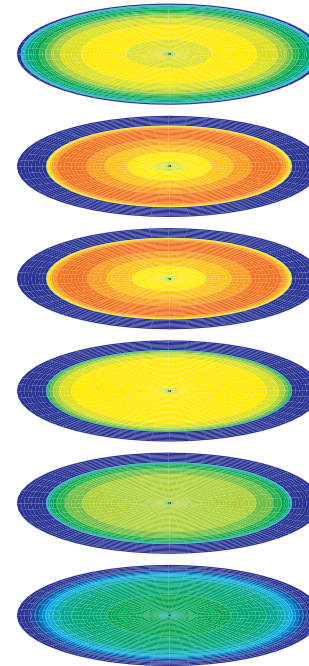
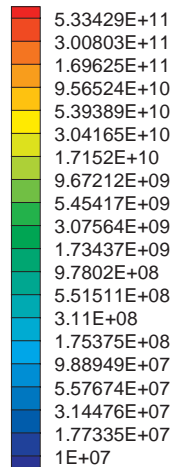
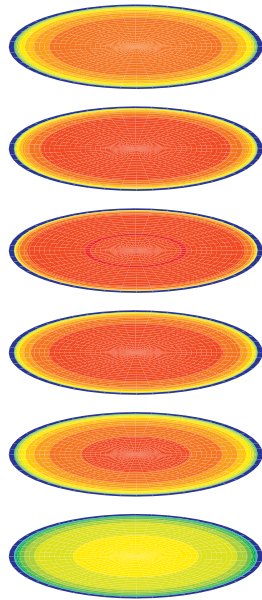
Total Power Deposition (Log Watt/cm⁻³)

Top view:



- The addition of the magnetic field ($B_z=600\text{G}$), the electrons tend to follow the magnetic field lines, and the heating region becomes elongated down the z-axis.

Static Magnetic Field: B=900 G, M=0 Coil

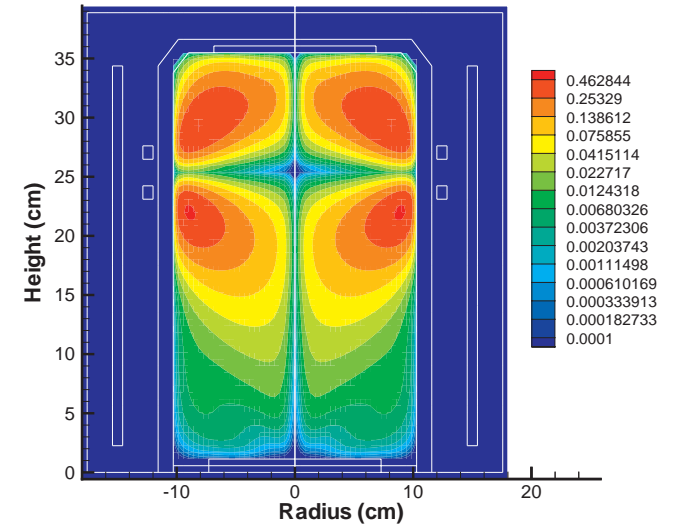
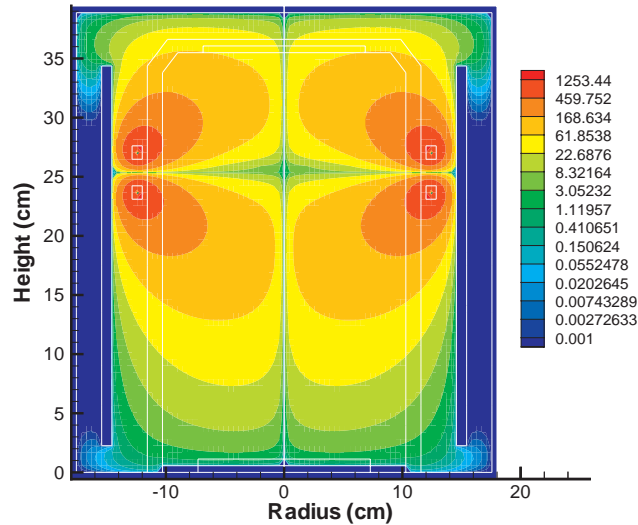
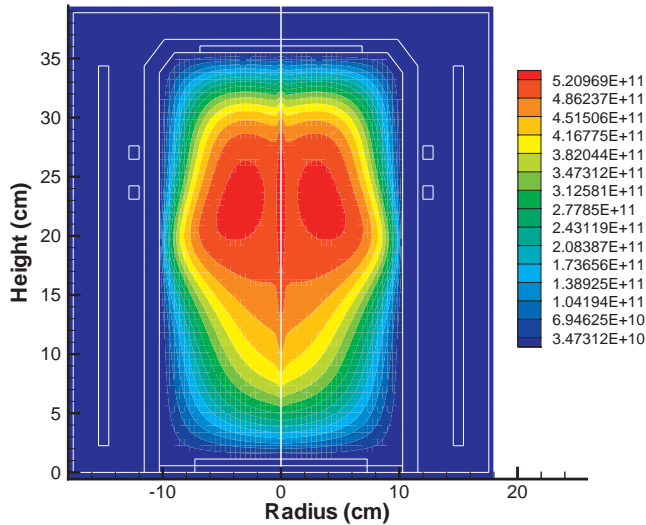


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude
(Log V/cm)

- As the magnetic field increases from 600 Gauss to 900 Gauss, the electric field penetration increases.

Static Magnetic Field: B=900 G, M=0 Coil

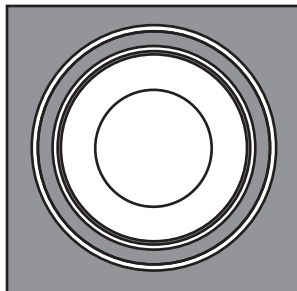


Argon Ion Density (cm^{-3})

Electric Field Total Magnitude (Log V/cm)

Total Power Deposition (Log Wt/cm^{-3})

Top view:



- As the magnetic field increases from 600 Gauss to 900 Gauss, the electric field penetration increases.